6. OTHER EFFECTS ON ENZYME ACTIVITY

- Ionic strength
- pH
- TEMPERATURE
- Shear
- Pressure (hydrostatic)
- Surface tension
- Chemicals (alcohol, urea, H_2O_2...)
- Light, sonication, ionising radiations

Reverzible
changes
Irreverzible

Active side chains

Changes in activity of proteins are caused by changes of amino acid side chains.

Acidic: –COOH: Asp, Glu Basic: $-NH_2$: Lys, Arg
(and terminal –COOH and $-NH_2$)
amide: $-CO-NH_2$: Asn, Gln

Polar: –OH: Ser, Thr -SH: Cys, $-S-CH_3$: Met

Imidazole: His Guanidin: Arg

H-bonds: C=O …… H-O- C=O …… H-NH-

Effect of pH

Proteins: + and – charged side chains ← their charge depends on dissociation ← determined by pH → it effects the active centre.

Recharge of enzyme:

$$E \underset{+H^+}{\overset{-H^+}{\rightleftharpoons}} E^- \underset{+H^+}{\overset{-H^+}{\rightleftharpoons}} E^{2-}$$

Only E^- is active!

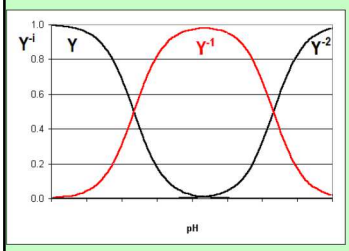
Ratio of active enzymes: $Y^- = E^- / E_0$

$$E \rightleftharpoons E^- + H^+$$
$$E^- \rightleftharpoons E^{2-} + H^+$$
$$K_1 = \frac{H^+ \cdot E^-}{E}$$
$$K_2 = \frac{H^+ \cdot E^{2-}}{E^-}$$
$$E_0 = E + E^- + E^{2-}$$

Michaelis-féle pH függvények:

$$Y^- = \frac{1}{1 + H^+ / K_1 + K_2 / H^+}$$

Effect of pH

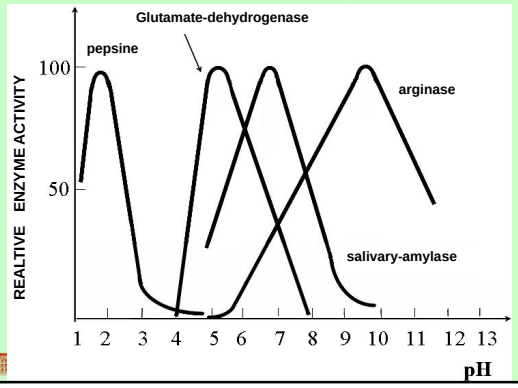


$$Y^- = \frac{1}{1 + H^+ / K_1 + K_2 / H^+}$$

$$H^+_{optimum} = \sqrt{K_1 K_2}$$
$$(pH)_{optimum} = \frac{1}{2}(pK_1 + pK_2)$$

$$V_{max} = k_2 E_0 Y^- = k_2 E_0 \frac{1}{1 + H^+/K_1 + K_2/H^+}$$

Effect of pH



Effect of pH temperature

Double effect → Increasing reaction rate
Double effect → decrease: denaturation → irreversible / reversible

depends on treatment time, too!

$$\frac{dE_a}{dt} = -kE_a \longrightarrow E_a(t) = E_{a0} e^{-kt}$$

Effect of pH temperature

$E_a \overset{K_d}{\rightleftharpoons} E_i$

$$\frac{E_i}{E_a} = K_d = \exp\left(\frac{-\Delta G_d}{RT}\right) = \exp\left(\frac{-\Delta H_d}{RT}\right)\exp\left(\frac{\Delta S_d}{R}\right)$$

S_d = ~900 KJ/mol.K

H_d = 280-310 KJ/mol

Large: sensitively reacts on small change (one H-bond: 12,5-29,3 kJ/mol)

If: $V_{max} = k_2(T)E_a$

$E_0 = E_a + E_i \rightarrow E_a = \frac{E_0}{1+K_d}$

and $k_2(T) = \beta\left(\frac{k_B T}{h}\right)e^{\Delta S^*/R} \cdot e^{-E/RT}$

$$V_{max} = \frac{\alpha T e^{-E/RT}}{1 + e^{\Delta S^*/R} \cdot e^{-\Delta H_d/RT}}$$

α = combination of (β,k_B,h,E_0,ΔS*)

K_m also depends on T!

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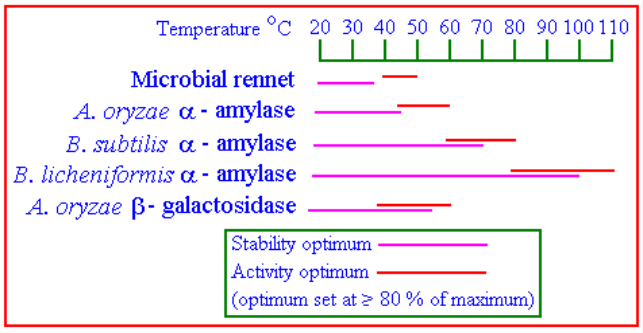
BME Alkalmazott Biotechnológia és Élelmiszertudomány Tanszék

Temperature optimum and stability



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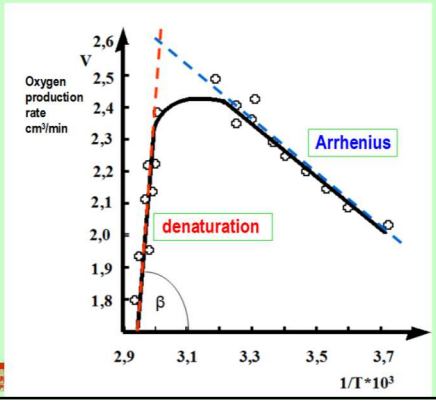
BME Alkalmazott Biotechnológia és Élelmiszertudomány Tanszék

Effect of pH temperature



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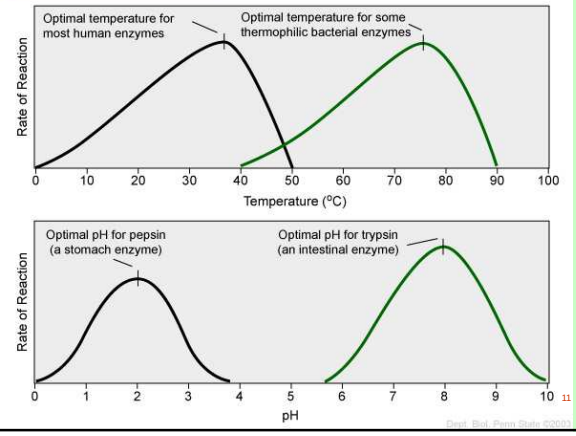
Optimal Temperature and pH



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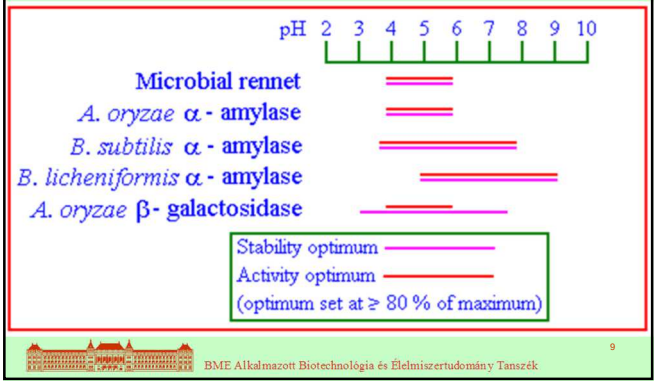
pH optimum and stability



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